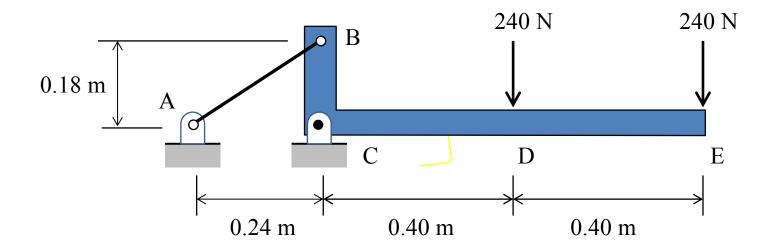
Analysis of a Two-Dimensional Body in Equilibrium Steven Vukazich San Jose State University General procedure for the Analysis of Bodies in Static Equilibrium

- Choose the free body to isolate;
- Draw a Free Body Diagram (FBD) of the body;
 - Isolate the body from all of its surroundings,
 - Magnitudes and directions of all known and unknown forces acting on the body should be included and clearly indicated,
 - Indicate dimensions on the FBD,
- Write the **equations of equilibrium** and solve the equations for the unknown quantities.

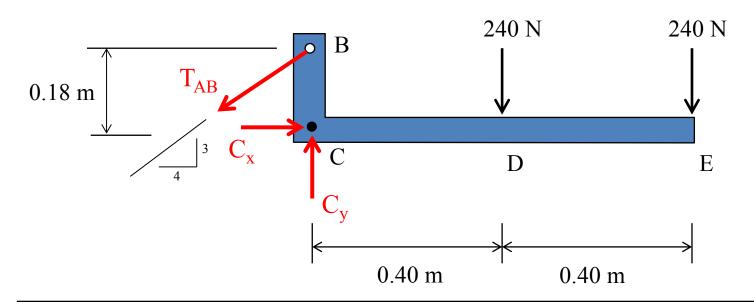
Two-Dimensional Statics Analysis Example

A light bracket is supported by a rod at point B, a pin support at point C, and subjected to point loads at points D and E as shown. Neglecting the weight of the bracket, determine:

- The axial tension in rod AB;
- The reaction at the pin support at C.



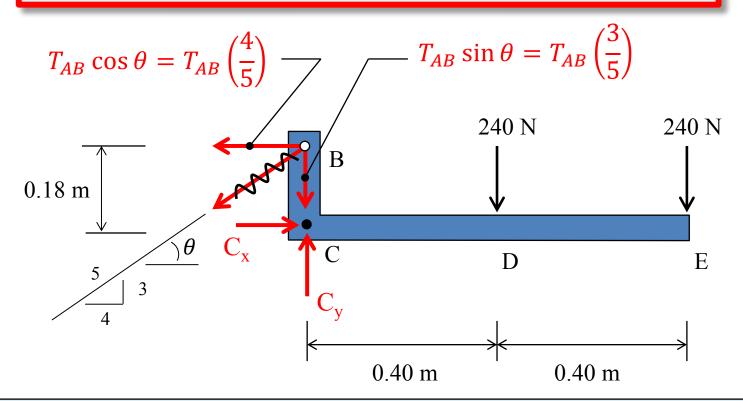
Free-Body Diagram of the bracket



Notes

- The dimensions, the line of action of the force T_{AB} , and the applied forces are known (shown in black text);
- The reaction force at the pin support at C is unknown and expressed as two unknown components (shown in red text);
- The senses of the unknown forces are guesses at this point;
- There are 3 total unknowns and we have 3 equations of equilibrium available to solve for the unknowns.

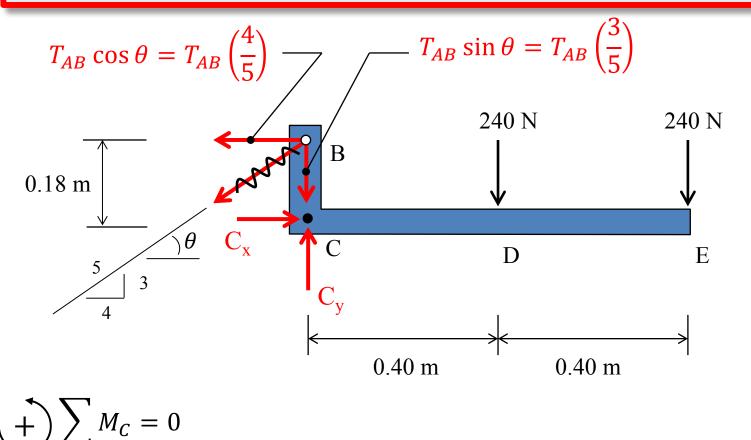
Express vectors in terms of components and apply equations of equilibrium



Strategy

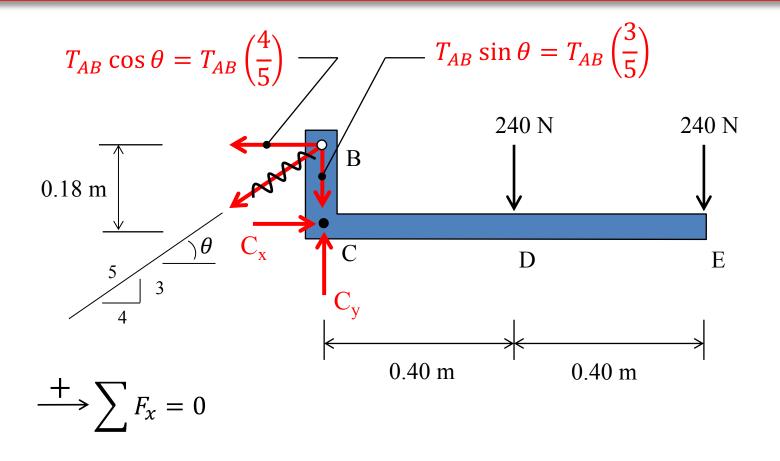
- Often (as in this problem) we can isolate one unknown with the moment equilibrium equation;
- Point B or point C would be the best choices to take moment equilibrium about in order to isolate one unknown.

Start with moment equilibrium about point C to find the tension in rod AB



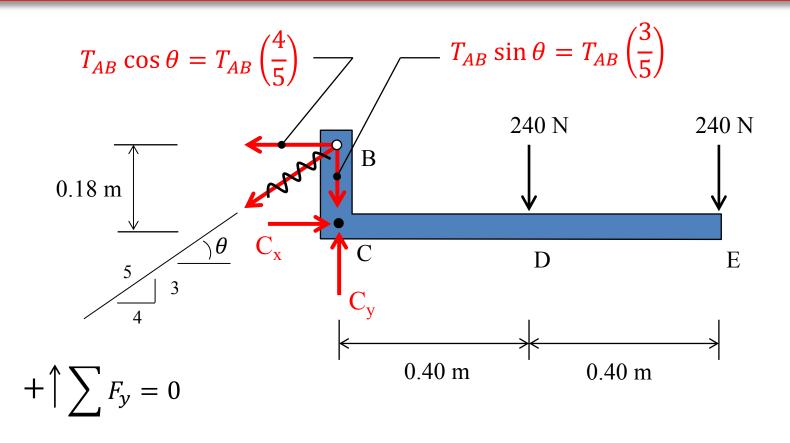
 $T_{AB} = 2000 N$

Next apply the force equilibrium in the *x* direction to find the horizontal component of the support reaction at C



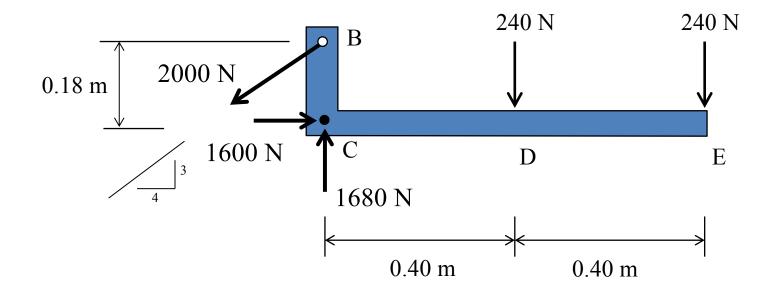
 $C_x = 1600 \text{ N}$

Next apply the force equilibrium in the *y* direction to find the vertical component of the support reaction at C



 $C_v = 1680 \text{ N}$

Show results on a FBD of the bracket



Can also express the reaction at the pin support in terms of its magnitude and angle

$$C = \sqrt{(1600)^2 + (1680)^2} = 2320 N \quad \theta = \tan^{-1}\left(\frac{1680}{1600}\right) = 46.4^\circ$$

